

Relaxed Bandwidth Sharing with

Space Division Multiplexing

v guruprasad (prasad)

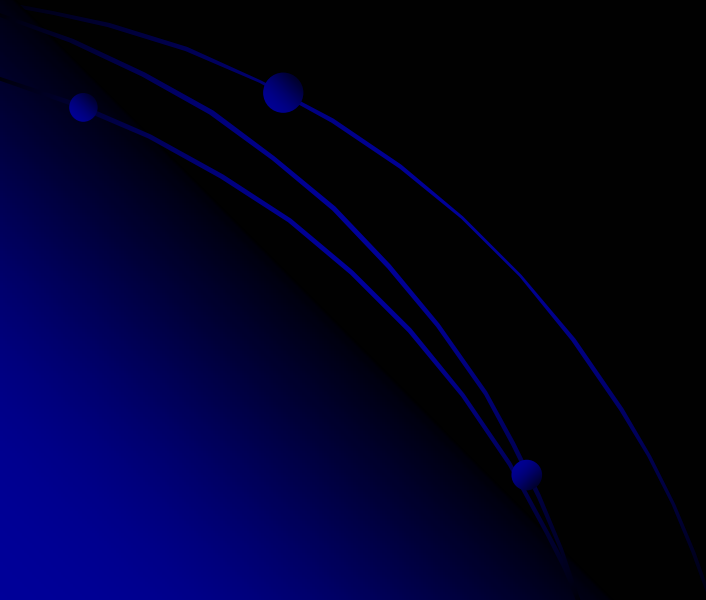
2005.03.16

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Relaxed Bandwidth Sharing with

~~Space~~ Division Multiplexing

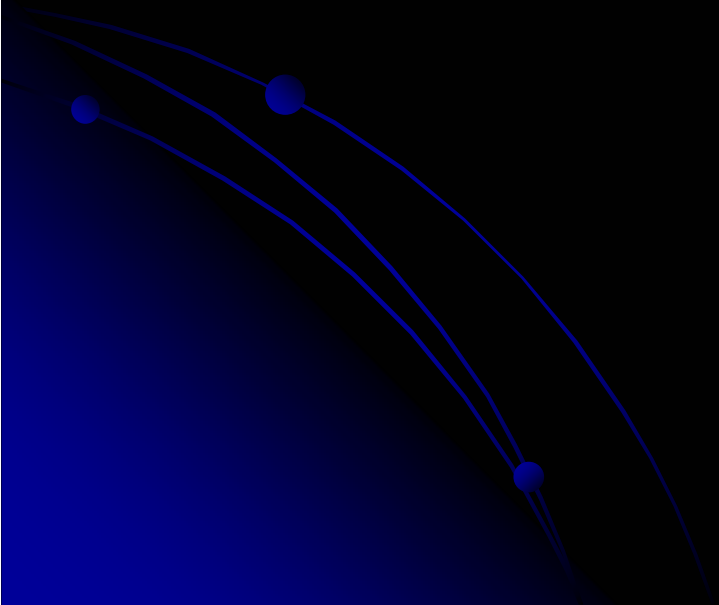
Distance + angle



Relaxed Bandwidth Sharing with

~~Space~~ Division Multiplexing

Distance ← *angle* → *directional antennae*



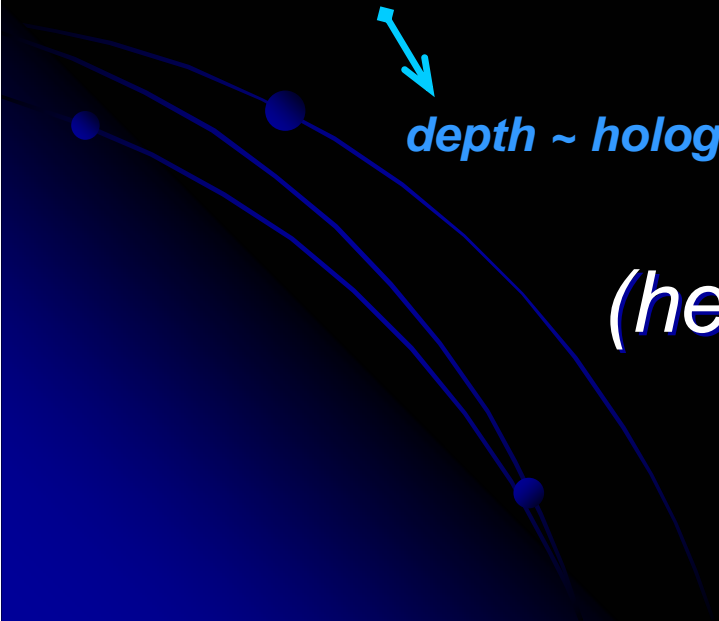
Relaxed Bandwidth Sharing with

~~Space~~ Division Multiplexing

Distance ← *angle* → *directional antennae*

depth ~ holography

(hence DDM, SDM)



background

wave effect recognized from astrophysics

in 1995-1996 ~ informally predicted cosmological acceleration (Λ)

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wave effect recognized from astrophysics

*in 1995-1996 ~ **informally** predicted cosmological acceleration (Λ)*

*in 1998-2000 ~ exact match + NASA spacecraft data
under Bruce Elmegreen, IBM Research
many partial ALL POSITIVE results
ground to 15+ Gy*

background

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*in 1995-1996 ~ **informally** predicted cosmological acceleration (Λ)*

*in 1998-2000 ~ exact match + NASA spacecraft data
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many partial ALL POSITIVE results
ground to 15+ Gy*

*in 2004 ~ isolated wave effect + a **systematic fallacy** in
calibration of space telescopes*

opportunity

separation of signals by *source distance*

fundamental

(*must separate before demodulation or decoding*)

not using content, e.g. GPS

universal

orthogonal to **FDM, TDM, CDMA**

could also cut

noise & interference

opportunity

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orthogonal to **FDM, TDM, CDMA**

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noise & interference

& would *multiply channel capacity*

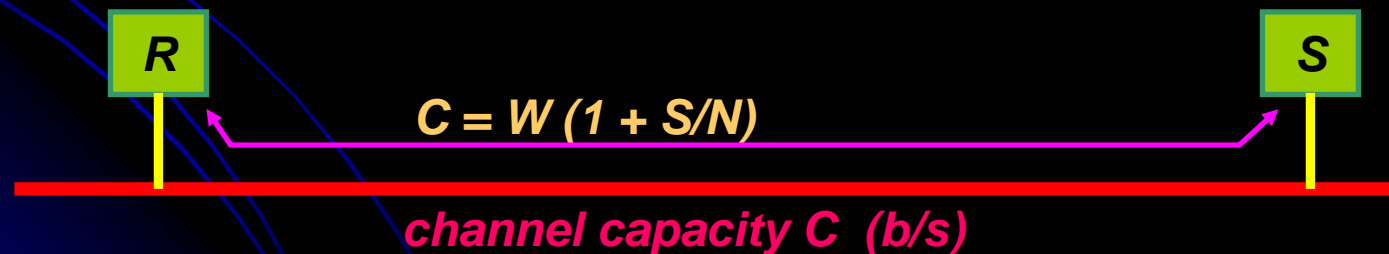
beyond Shannon's limit

Shannon theory ~ time × bandwidth

fundamental dimensions =

{ time, frequency, direction, polarization }

each dimension multiplies capacity

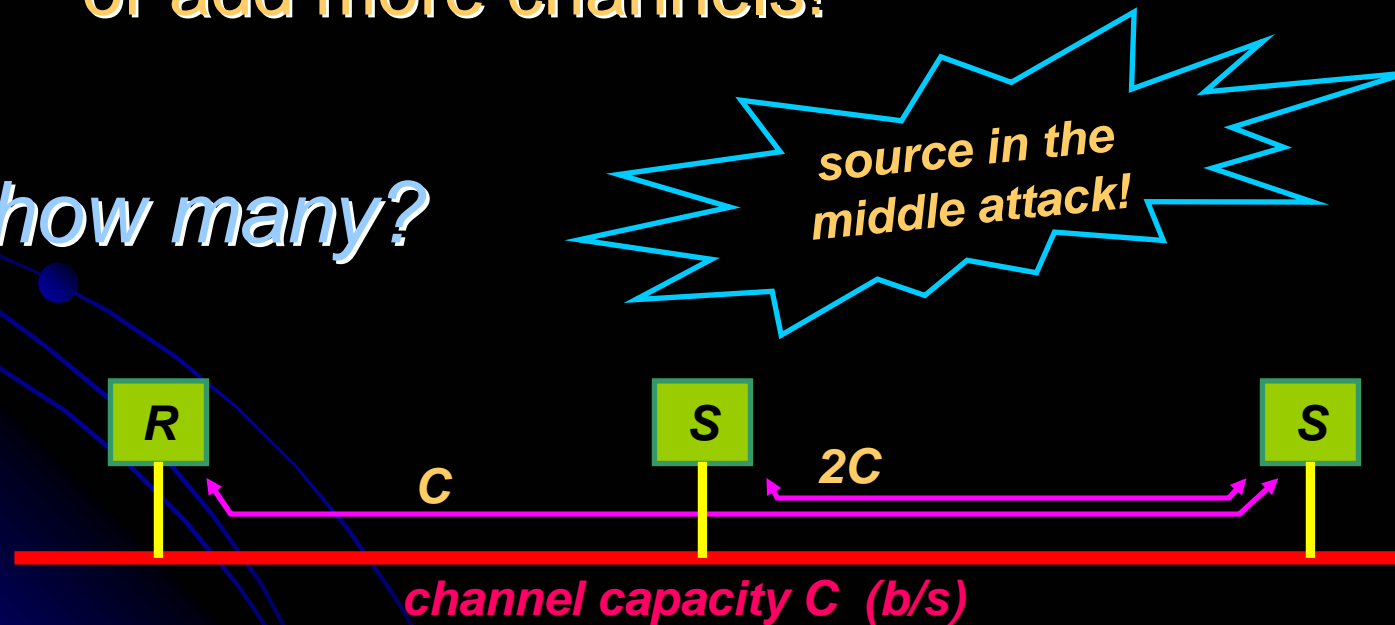


distance = new dimension

reuse full capacity for each source

avoid partitioning by time, frequency, code
or add more channels!

how many?

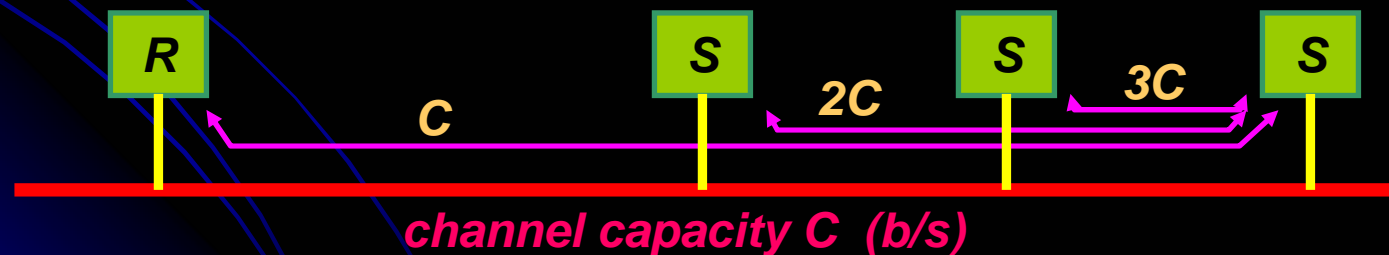


distance is a continuum

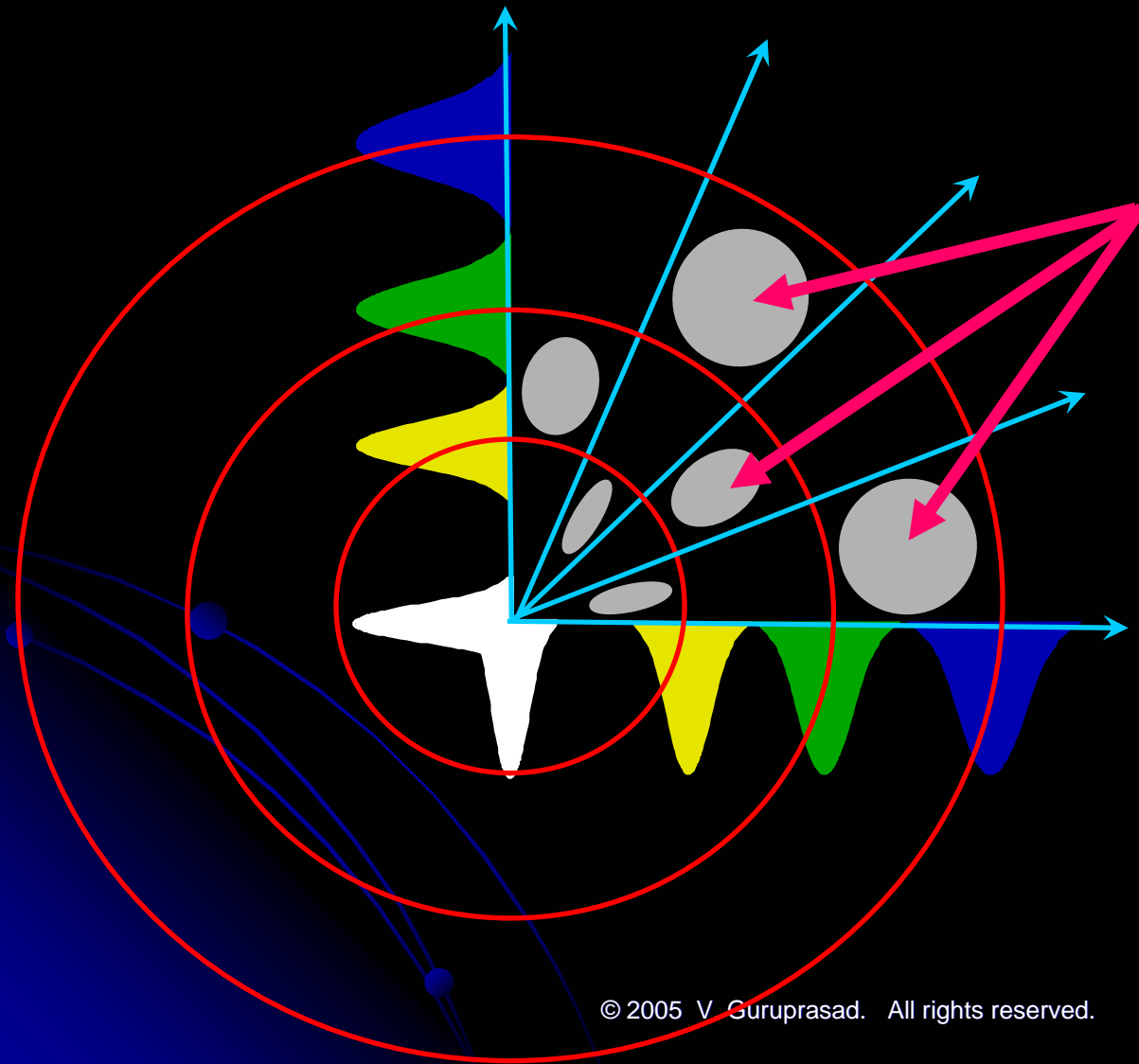
reuse full capacity for each source

avoid partitioning by time, frequency, code
or just *keep adding* more channels!

down to λ_{max} ~ Rayleigh limit



with angle, real SDM



*fundamental cells
using "DDM filters"*

~~spread spectrum
coding~~

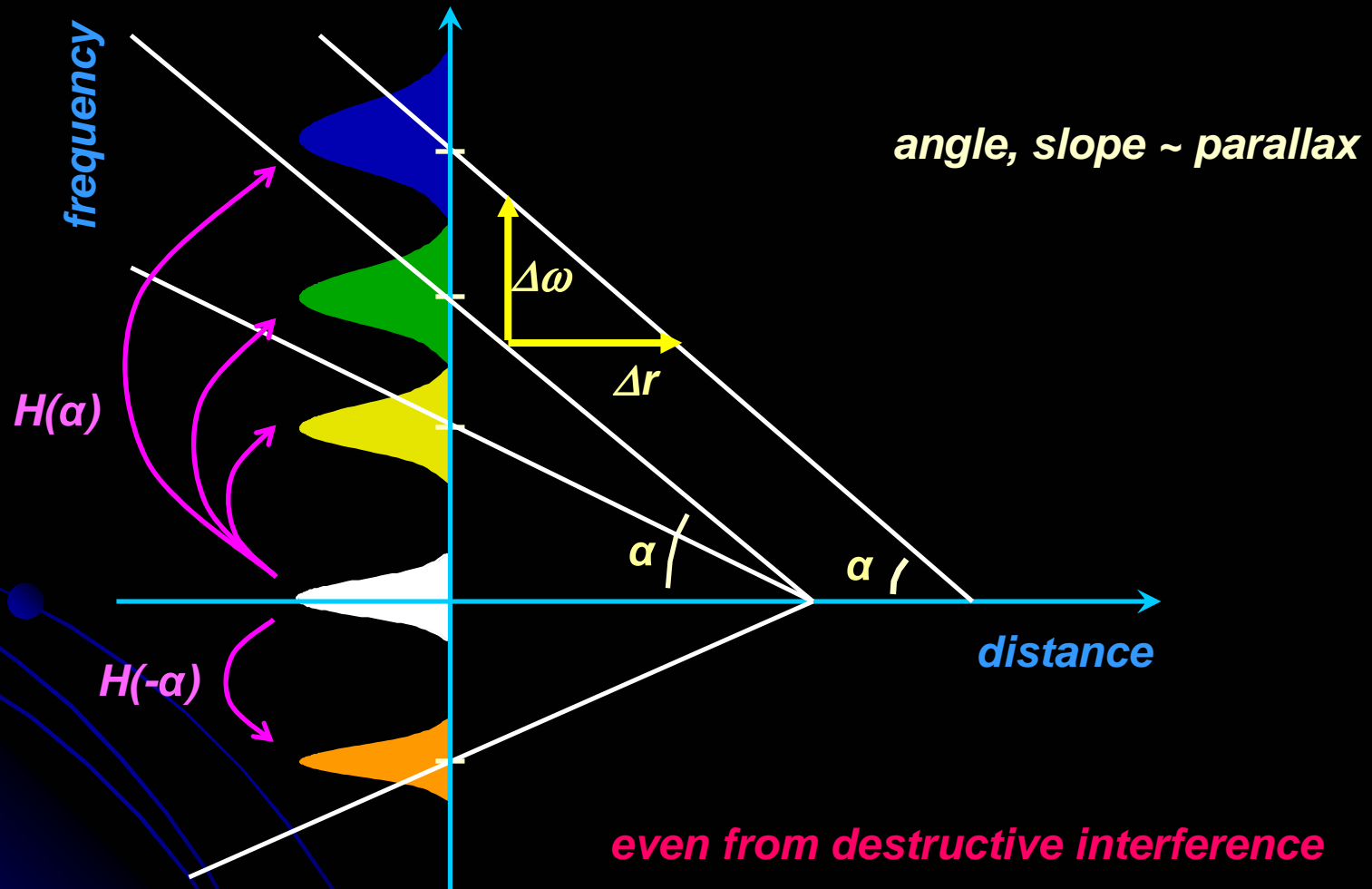
~~modulation~~

~~time slicing~~

~~polarization~~

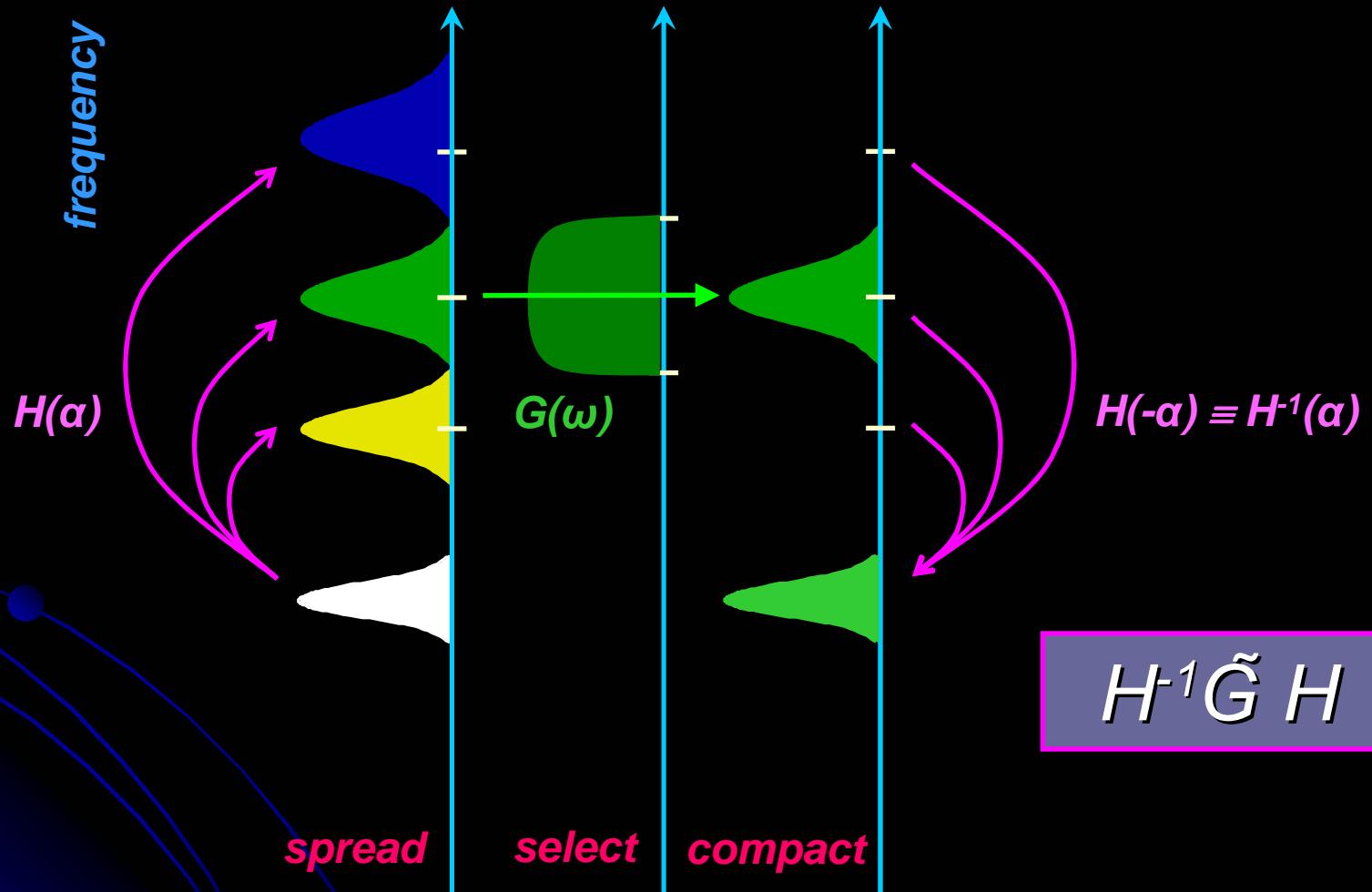
goal

“Hubble separation”



goal

basic "DDM filter"



cosmology is for dreamers

cosmic α_0 too small *and* non linear

$\approx 10^{-18} \text{ s}^{-1}$ for the most distant galaxies

$\approx 10^{-41} \text{ s}^{-1}$ at 1 AU \sim earth's orbit

= 0 at $r = 0$ – *Einstein-deSitter*

• *no inverse for H^{-1}*

need larger, *receiver-controlled α*

a terrestrial occurrence

is mandated by solid state physics

gravitational compressive stress + tidal action

plasticity of all solids ~ telescopes, clocks

low stress limit creep rate ~ dislocation work function

$$\exp[k_B * 1\text{eV} / 300\text{K}] \sim O(10^{-18}) \text{ s}^{-1}$$

extremely slow, weak

half-life ~ age of solar system, universe

but exactly accounts for

Hubble “flow” and acceleration (*no dark energy*)

$10^{-18} \text{ s}^{-1} \approx 70 \text{ km/s per Mpc (mega parsec)}$

but exactly accounts for

Hubble “flow” and acceleration *(no dark energy)*
NASA’s anomalous “accelerations” Pioneer 10/11, Galileo

in all six deep space missions equipped for precision ranging

but exactly accounts for

Hubble “flow” and acceleration

NASA’s anomalous “accelerations”

5x mismatch tidal coefficients

past expansion of Earth puzzle

(no dark energy)

Pioneer 10/11, Galileo

lab. & space (since '70s)

geology + paleontology ('60s)

[**Kurt Lambeck (1977)**, **Paul Wesson (MS thesis, 1973)**]

better fit than any prior theory

Hubble “flow” and acceleration
NASA’s anomalous “accelerations”
5x mismatch tidal coefficients
past expansion of Earth puzzle

large scale, 15 Gy $\approx 10^{17}$ m
solar system, 1-40 AU $\approx 10^{12}$ m
lunar scale, $\approx 3.8 \times 10^8$ m
plate tectonics $\sim 10^7$ m

perfect empirical fit on every measured scale

(relativistic cosmology broken at both extremes!)

resolves long pending mysteries – but purely mundane

about cosmic microwaves...

astrophysics has MORE basic problems

diffraction analysis limited to Fresnel
also in quantum field theory

questions current ideas of
CMB, dark matter, neutrinos

(recent – Jan 2005 – CMB data in favour)

earthly motivation

the consistency must mean something ... mundane!

some prior work on relativity

formalism *ignores calibration referents*

relativity *postulates completely derivable* from referents

usual premise of spectrometric stationarity

- central to all of quantum physics
even in wavelet analysis, etc.

but *no prior analysis of the distortion*



“new mundane physics”

directly from wave equation

fundamental, very general

like Doppler, but *receiver-controlled*

finally addresses

spectrometric non-stationarity

ties empirical data together

remainder of this talk

physical concept & principle

“initial hype” results

prototype status & a couple of lessons

distance information

ordinary (spatial) parallax

view changes with **angle** ~ *spatial frequency*

information in wavefront curvature

new notion of *temporal parallax*

view angle concerns

temporal frequency

semantics

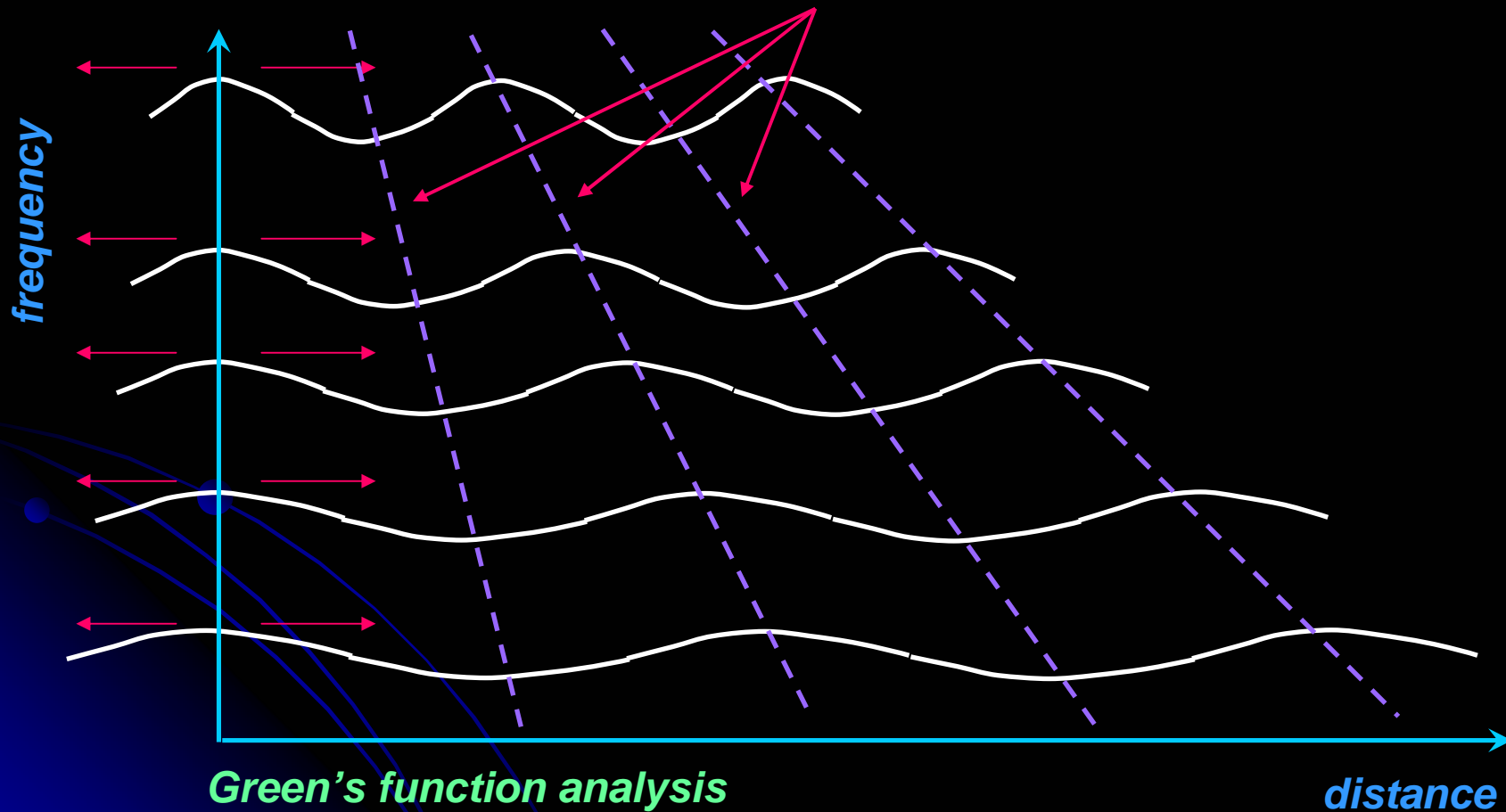
in *temporal frequency* domain,

where is the *wavefront curvature* ?

what is *equivalent to moving one's head* ?

temporal curvature of wavefronts

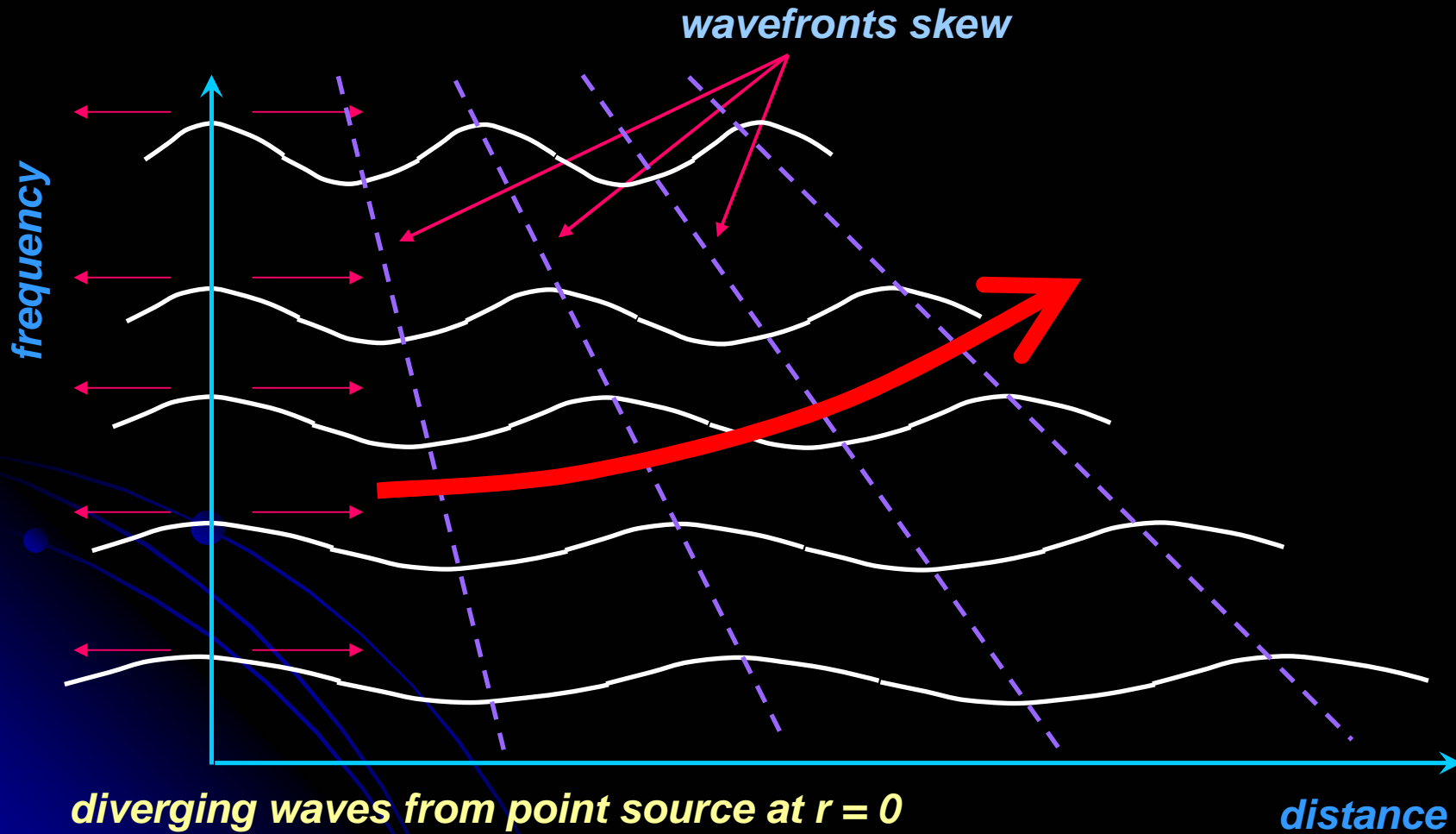
wavefronts **defined** by joining crests



Green's function analysis

distance

temporal curvature of wavefronts



measuring phase

coherent reference ordinarily needed

2 levels

digital holography

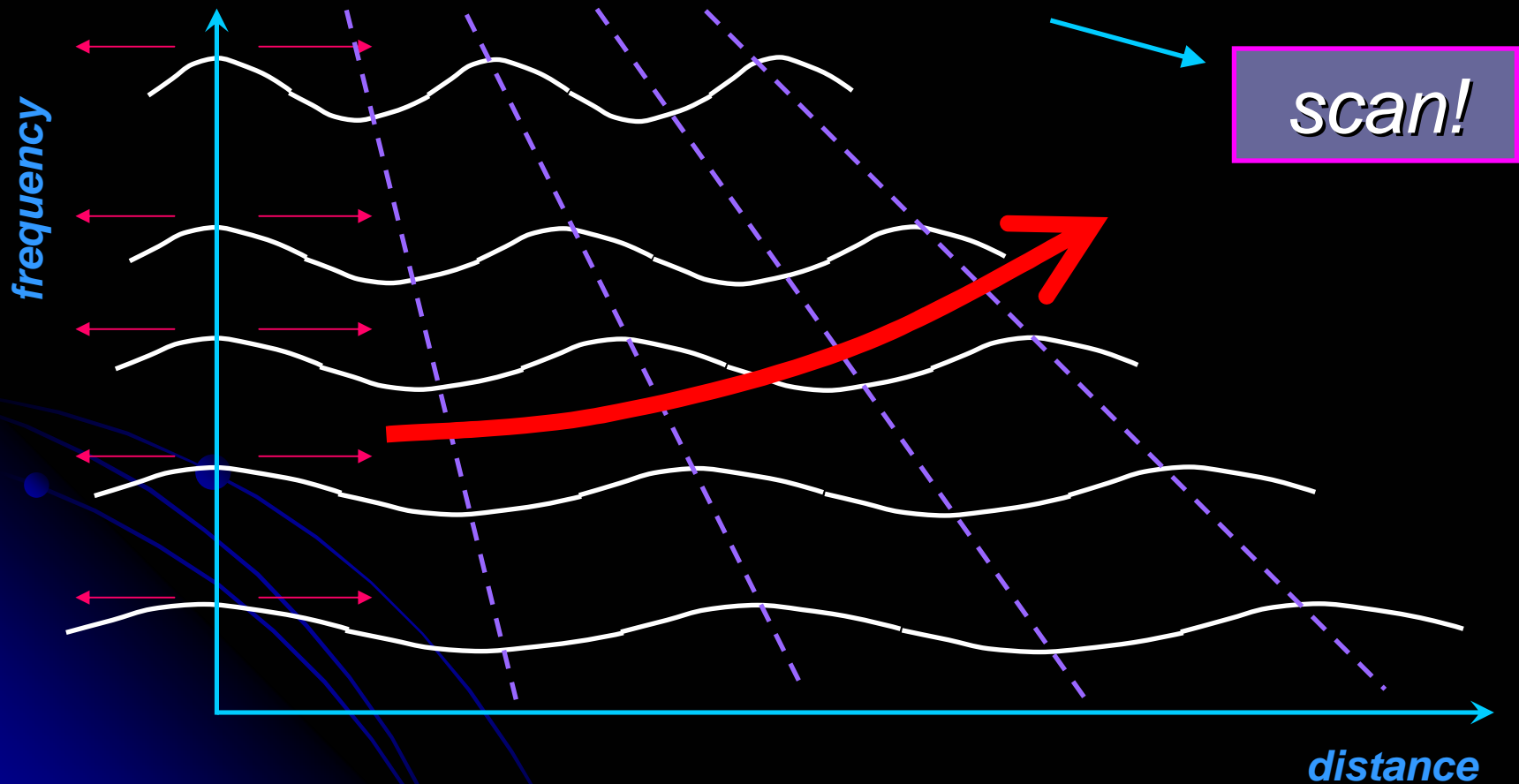
1 frequency

holography & SAR

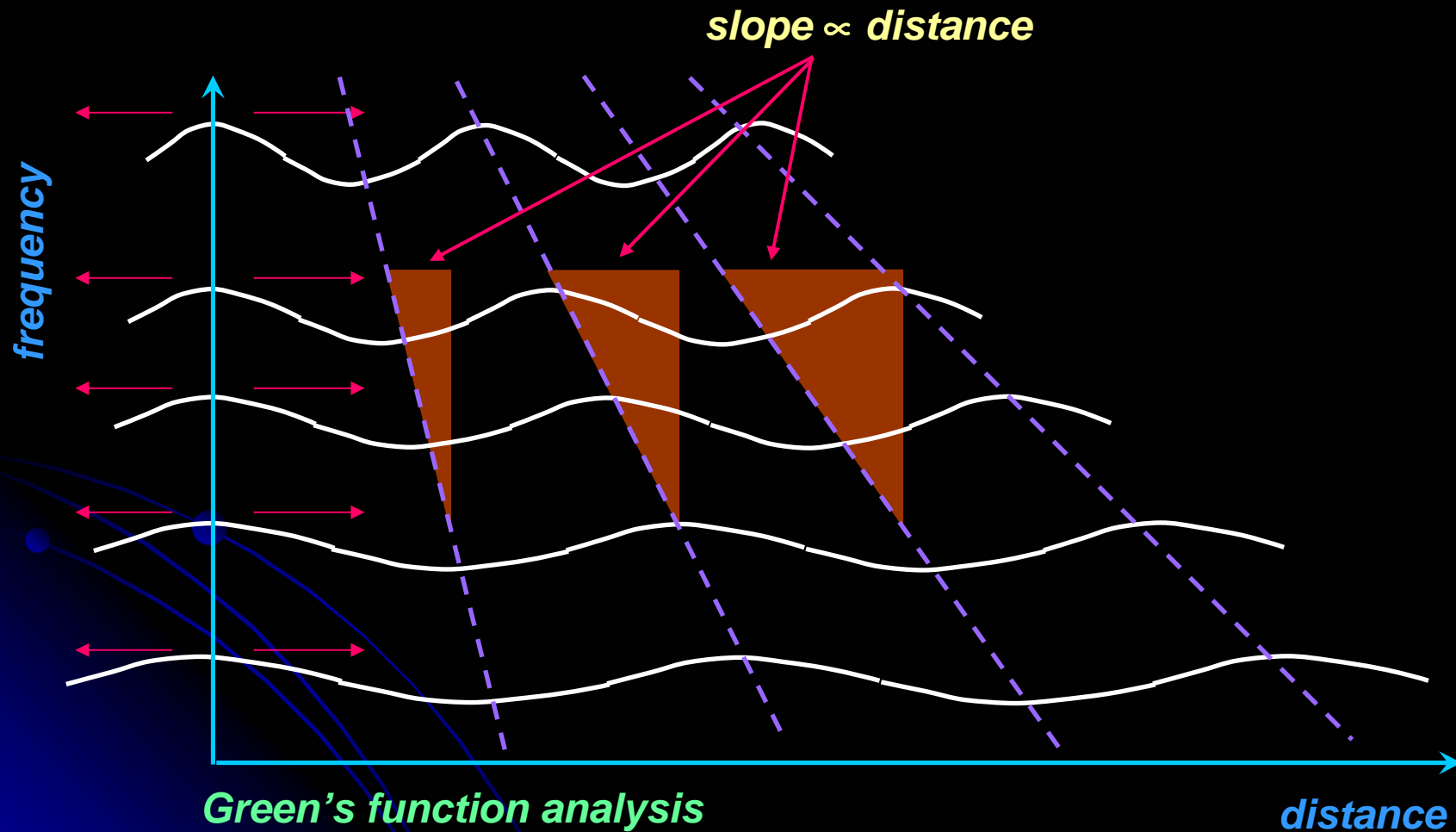
must be independent of signal phase

measuring temporal curvature

need only slopes, not absolute phases



measuring temporal curvature



so the trick is

measure against RATE of dial turning

transforms phase slope → frequency shift

$$\Delta\omega = d\phi / dt$$

dial turn rate ~ temporal parallax

temporal equivalent of viewing angle

wave theoretic analysis

from wave equation

total phase

$$\varphi = k r - \omega t$$

wave theoretic analysis

from wave equation

total phase

$$\varphi = k r - \omega t$$

→

$$\Delta\varphi = k \cdot \Delta r + \Delta k \cdot r - \Delta(\omega t)$$

last term (time part) = signal

wave theoretic analysis

from wave equation

total phase

$$\varphi = k r - \omega t$$

$$\Delta\varphi = k \cdot \Delta r + \Delta k \cdot r - \Delta(\omega t)$$

ignore signal part
(for now)

$$\Delta\varphi = k \cdot \Delta r + \Delta k \cdot r$$

wave theoretic analysis

from wave equation

total phase

$$\varphi = k r - \omega t$$

$$\Delta\varphi = k \cdot \Delta r + \Delta k \cdot r - \Delta(\omega t)$$

$$\Delta\varphi = k \cdot \Delta r + \Delta k \cdot r$$

space part 1st term $\Delta\varphi = k \cdot \Delta r$

fixed frequency

holography, SAR

wave theoretic analysis

from wave equation

total phase

$$\varphi = k r - \omega t$$

$$\Delta\varphi = k \cdot \Delta r + \Delta k \cdot r - \Delta(\omega t)$$

$$\Delta\varphi = k \cdot \Delta r + \Delta k \cdot r$$

space part 1st term

$$\Delta\varphi = k \cdot \Delta r$$

~~fixed frequency~~

holography, SAR

wave theoretic analysis

from wave equation

total phase

$$\varphi = k r - \omega t$$

$$\Delta\varphi = k \cdot \Delta r + \Delta k \cdot r - \Delta(\omega t)$$

$$\Delta\varphi = k \cdot \Delta r + \Delta k \cdot r$$

space part 2nd term $\Delta\varphi = \Delta k \cdot r$

fixed distance

~ source

wave theoretic analysis

from wave equation

total phase

$$\varphi = k r - \omega t$$

$$\Delta\varphi = k \cdot \Delta r + \Delta k \cdot r - \Delta(\omega t)$$

$$\Delta\varphi = k \cdot \Delta r + \Delta k \cdot r$$

no more terms left

→ fundamental in terms of phase information

resulting wave effect

discrete Δk pulse radar \rightarrow *limited by aliasing*

continuous scanning $\Delta\omega = d\varphi / dt = r \cdot dk / dt$

Doppler-like ~ proportional

$$z = \Delta\omega / \omega = \beta r / c$$

where

$$\beta = k^{-1}(dk / dt)$$

measured “z” in astrophysics – well beyond 7

realization

Receiver type

time-varying

diffractive optics

grating intervals

resonant or tuned systems

tuning element

digital signal processing

sampling interval

grating approach

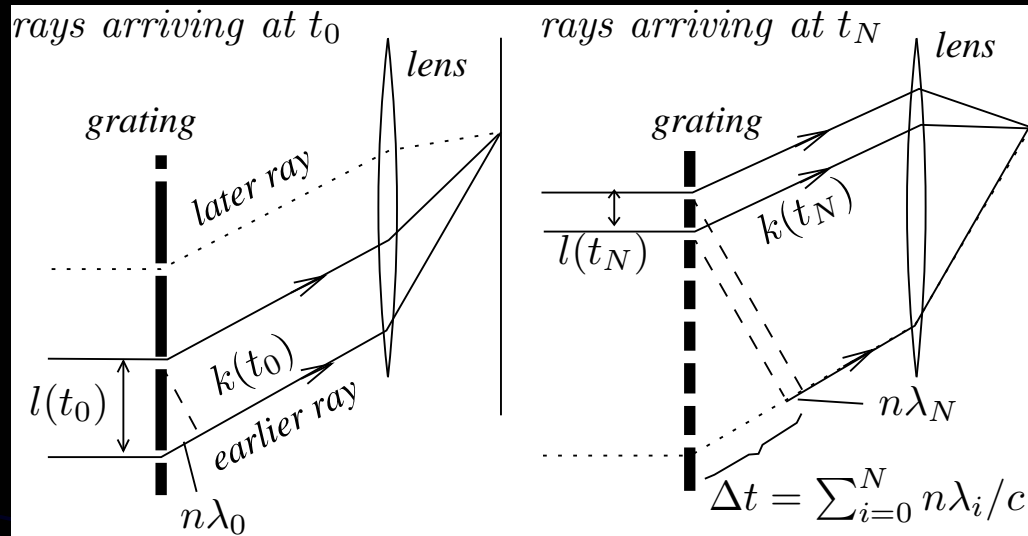
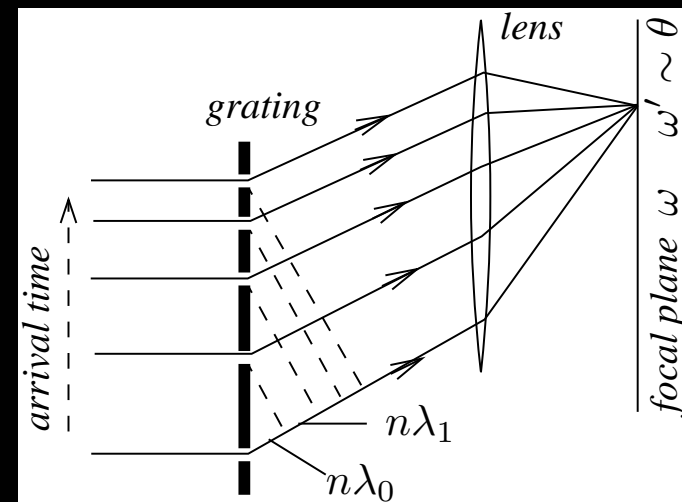


Fig. 3 of paper

Fig. 4 of paper



sampling approach

sampling eigenfunction

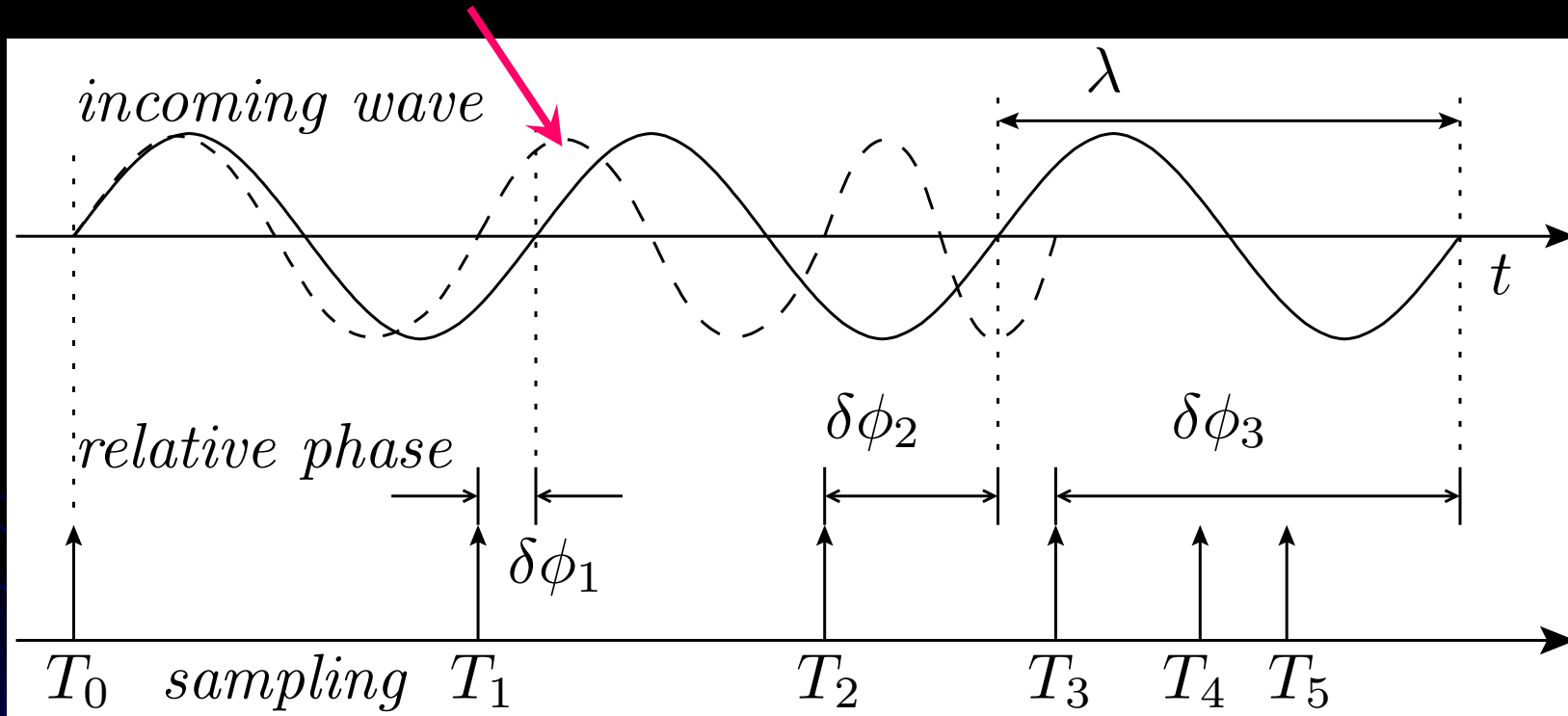


Fig. 5 of paper

time-varying eigenfunctions

$$\exp[kr \pm \omega t / a(t)] \equiv \exp[a(r) kr \pm \omega t]$$

$$\alpha = \beta / c$$

$$\beta = k^{-1} (dk / dt)$$

time-varying eigenfunctions

$$\exp[kr \pm \omega t / a(t)] \equiv \exp[a(r) kr \pm \omega t]$$

L. Parker's 1966 PhD thesis in cosmology

a ~ relativistic scale factor

$$\beta = a^{-1} (da / dt)$$

time-varying eigenfunctions

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$a(t)$ ~ receiver's scale of frequencies

receiver's view spatially distorted as $a(r)$

time-varying eigenfunctions

$$\exp[kr \pm \omega t / a(t)] \equiv \exp[a(r) kr \pm \omega t]$$

L. Parker's 1966 PhD thesis in **cosmology**

$a \sim$ relativistic scale factor

$$\beta = a^{-1} (da / dt)$$

$a(t) \sim$ receiver's scale of frequencies

receiver's view spatially distorted as $a(r)$

receiver's decomposition is mathematical

fundamental : not a postulate or result of physics

$a(r) \equiv a(t)$ from the wave equation

principle of receiver decomposition

choice belongs to receiver

receiver sums successive λ 's

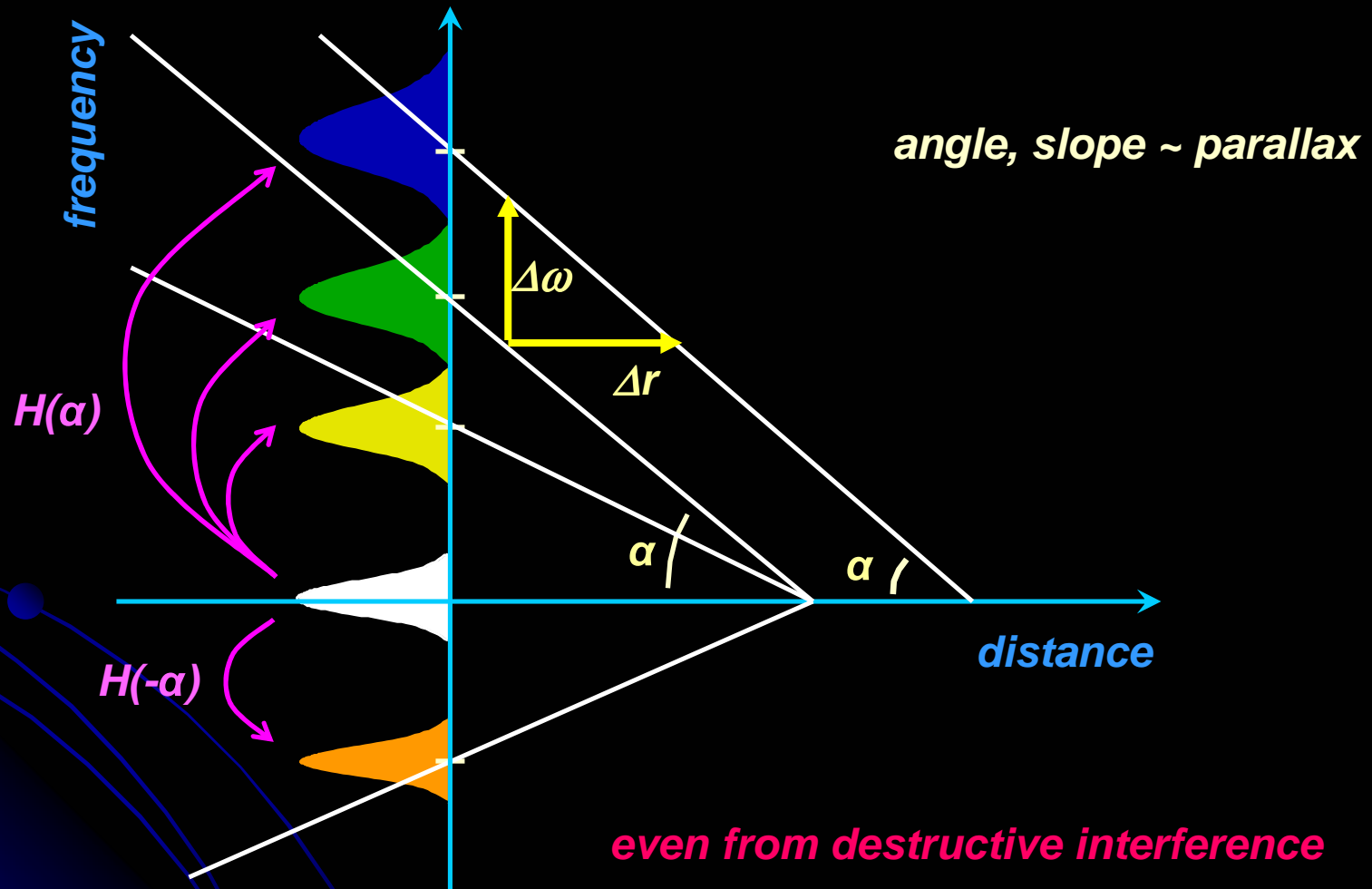
“Parker” if λ 's vary

requires real signals – $\Delta\omega \neq 0$

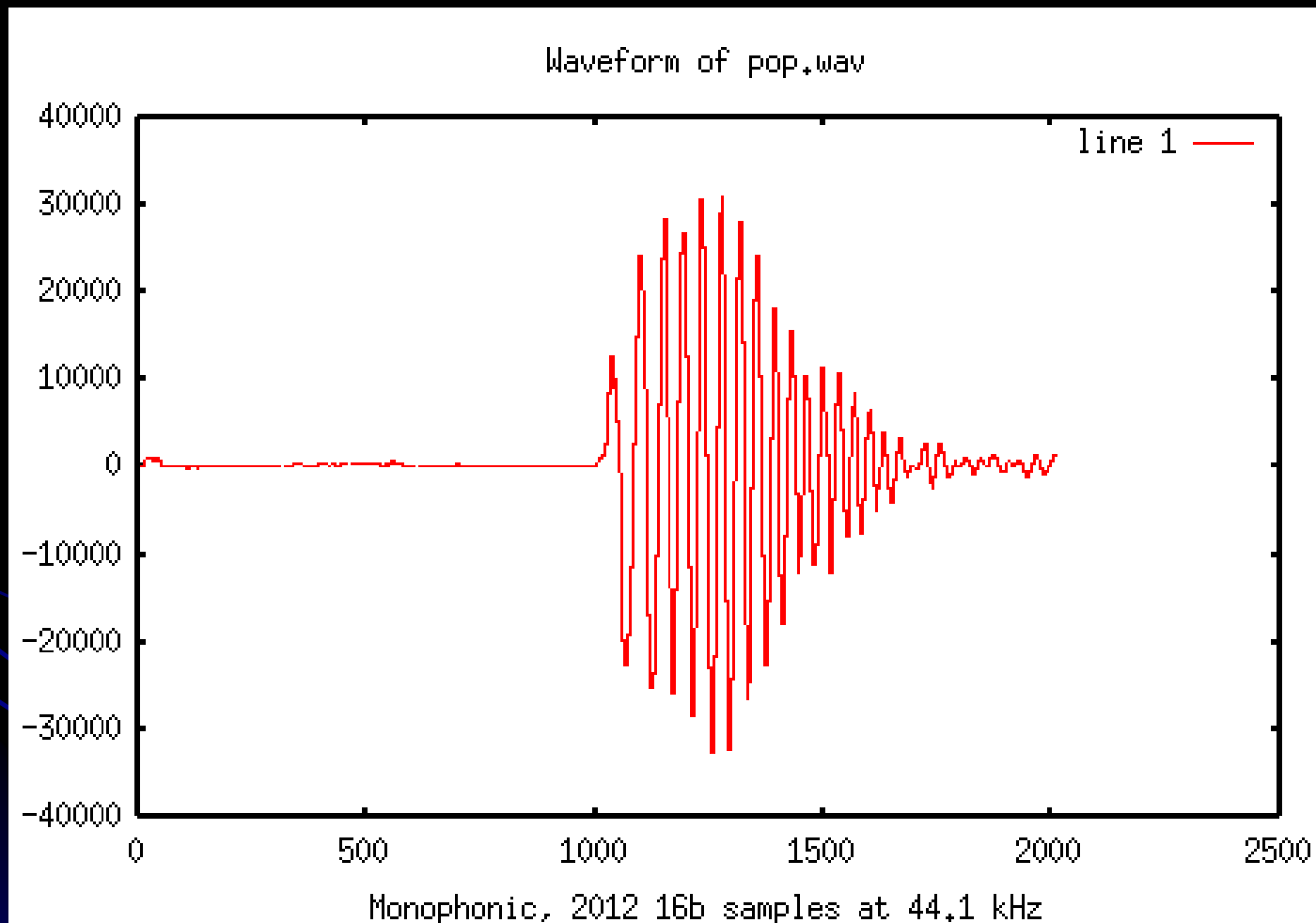
like the natural occurrence...

fundamentally changes photon theories

thus temporal parallax

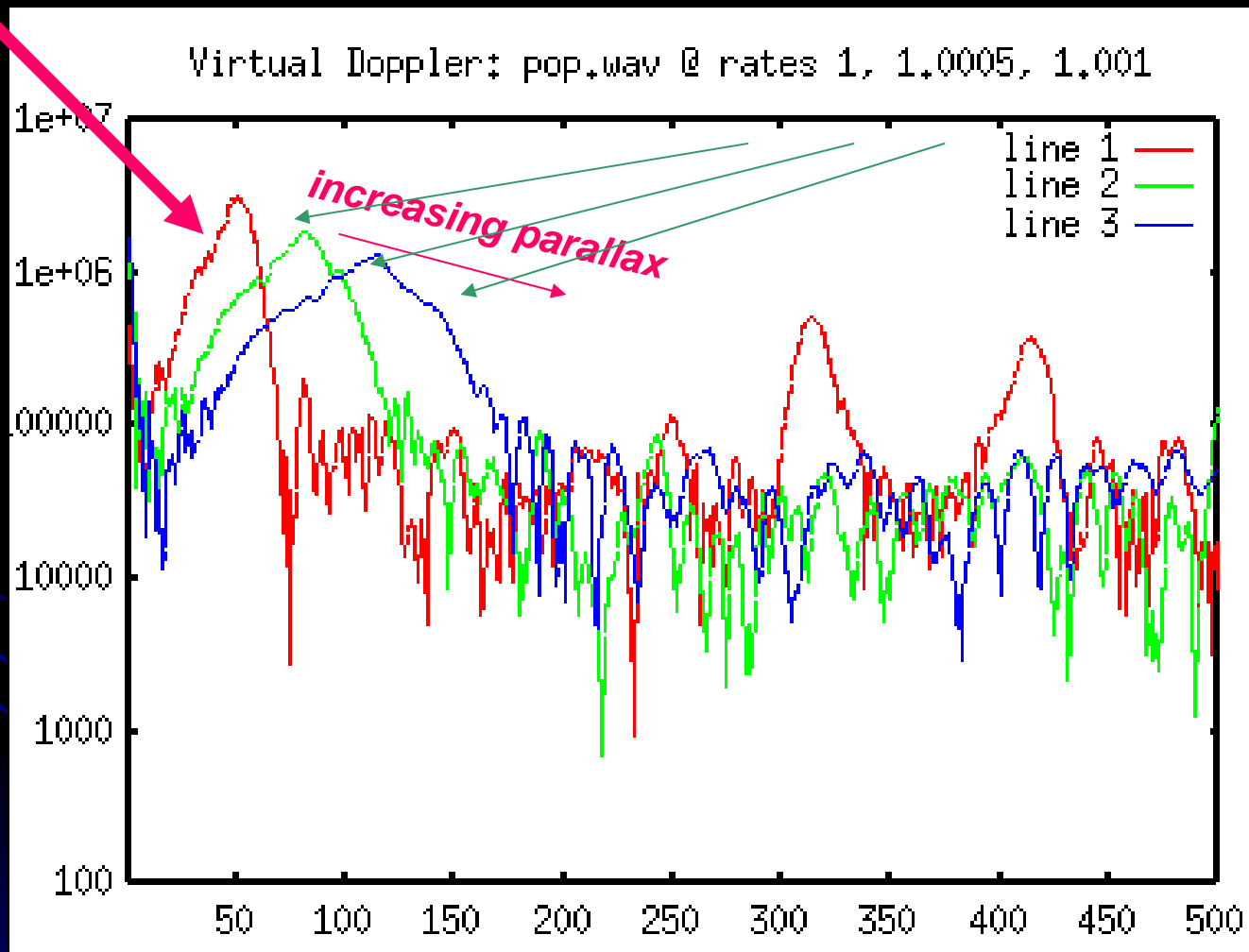


initial example (from paper)



original wave

its "Parker spectra"



java prototype

simple design console

test of “DDM filters”

$H^{-1}\tilde{G}H$ operators

Remez algorithm

filter design (\tilde{G})

test of assumptions

envisage easily portable

to Software-Defined Radio, MAC layers

lessons from simulation

orthogonality \neq Fourier

applying H to generated sinusoids gives scarily bad results
must simulate source with $\Delta\omega > 0$ (“Parker” orthogonality)

ω -scanning mixes with signal

current area of work – should be easy to solve

“textbook DSP” is deceptive

may be necessary to use spatial spread ~ grating approach

must really really try with real data

other audio samples not so lucky ~ back to the drawing board!

known limits

no fundamental limits

the Big Bang corresponds to $z = \text{infinity}$

$\alpha > 0$

technology limits

limits of sampling, DSP – e.g. simulation woes

must use RF – *IF separation will be poor*

phase distortions in antenna, processing

angular resolution of phased arrays

filtering limits – stop-band rejection (**G**)

conclusion – or beginning?

a new basic wave effect shown

with commensurate broad implications

must try with real data

unless totally mistaken...

SIM TINA

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